Basics of SALMON

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What is SALMON?

Scalable Ab-initio Light-Matter simulator for Optics and Nanoscience



- A software to calculate electron dynamics and optical responses
- Real-time and real-space

SALA

• Treatment of light-matter interaction





• Dielectric functions and polarizability

Overview of SALMON



SALMON TUTORIAL, TSUKUBA, 2017

http://salmon-tddft.jp/

Characteristics of SALMON

Real-time electron dynamics •



Non-linear optical response •



6 o_z⁽³⁾(t) (au) 0 -6 10 15 20 5 0 Time t (fs)

SALA

Massive parallelization •



Couple with Maxwell equation



Scalable Ab-initio Light-Matter simulator for Optics and Nanoscience http://salmon-tddft.jp/

SALMON TUTORIAL, TSUKUBA, 2017

Development environment

• Web page: http://salmon-tddft.jp

| | Main page | Discussion | | Read | View source | View history | Search salmon | Q | |
|---|--|--|----------------------------------|------|-------------|--------------|---------------|-----------------------------|--|
| SALMON | Mai | in Page | | | | | | | |
| About SALMON download Documents Samples References Development User Information Events Navigation Main page Recent changes Random page Help | SALMC function release • Abo • Dow • Doc • Sam • Refe | SALMON (Scalable Ab-initio Light-Matter simulator for Optics and Nanoscience) is an open-source software based on first-principles time-dependent density functional theory to describe optical responses and electron dynamics in matters induced by light electromagnetic fields. At present, SALMON is under a trial release. We plan to release an official version by the end of October, 2017. About SALMON Download Documents Samples References | | | | | | | |
| | • Use • Eve | r Information | | | | | | | |
| Tools What links here Related changes Special pages Printable version Permanent link Page information | This page Privacy po | was last modified on 16 Oc Ilicy About salmon Discl | :tober 2017, at 08:46. aimers | | | | | [Revenued By MedicaWikk | |

• License: Apache 2.0

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• Mailing list: salmon-users@salmon-tddft.jp (contact address for inquiry)

Developers

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SAL/

(Alphabetic order)

Time-dependent Kohn-Sham equations

• isolated system (length gauge)

$$i\hbar \frac{\partial}{\partial t} \psi_n(\mathbf{r}, t) = \left\{ -\frac{1}{2} \nabla^2 + V_{ext}(\mathbf{r}, t) + V_{ion} + V_H + V_{xc} \right\} \psi_n(\mathbf{r}, t)$$

$$\psi_n: \text{Kohn-Sham orbital} \qquad \qquad V_H: \text{Hartree potential}$$

 $V_{ext}(\mathbf{r}, t)$: External scalar potential V_{xc} : Exchange-correlation potential V_{ion} : Electron-nuclear interaction potential

• periodic system (velocity gauge)

$$i\hbar\frac{\partial}{\partial t}u_{nk}(\boldsymbol{r},t) = \left\{\frac{1}{2}\left(-i\hbar\nabla + \hbar\boldsymbol{k} + \frac{e}{c}\boldsymbol{A}(t)\right)^2 + V_{ion} + V_H + V_{xc}\right\}u_{nk}(\boldsymbol{r},t)$$

 u_{nk} : Bloch orbital

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 \boldsymbol{k} : wave vector $\boldsymbol{A}(t)$: External vector potential

Physical quantities are expressed on grid.





Flowchart of SALMON

GS (Ground State) calculation (determination of initial states)



RT (Real-time) calculation (propagation of states)

"GS-RT" (only for periodic systems)

GS calculation

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• Isolated system (length gauge)

$$\left\{-\frac{1}{2}\nabla^2 + V_{ion} + V_H + V_{xc}\right\}\psi_n(\mathbf{r}) = \epsilon_n\psi_n(\mathbf{r})$$

 ϵ_n : 1-particle energy

• periodic system (velocity gauge)

$$\left\{\frac{1}{2}(-i\hbar\nabla + \hbar\mathbf{k})^2 + V_{ion} + V_H + V_{xc}\right\}u_{n\mathbf{k}}(\mathbf{r}) = \epsilon_{n\mathbf{k}}u_{n\mathbf{k}}(\mathbf{r})$$

Pseudopotential

• Norm-conserving pseudopotential (Kleiman and Bylander separable form)

 $V_{ion} = V_{local} + \sum_{lm} \frac{|\psi_{lm}^{PS} v_l \rangle \langle v_l \psi_{lm}^{PS}|}{\langle \psi_{lm}^{PS} | v_l | \psi_{lm}^{PS} \rangle}$

 V_{local} : local part of pseudopotential v_l : non-local part of pseudopotential ψ_{lm}^{PS} : pseudowavefunction

- pseudopotential files treated by SALMON
- Yabana-Bertsch format
- .pspnc (ABINIT format:

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https://www.abinit.org/sites/default/files/PrevAtomicData/psp-links/psp-links/lda_tm)

.cpi and .fhi (fhi98PP format:

https://www.abinit.org/sites/default/files/PrevAtomicData/psp-links/psp-links/lda_fhi)

Exchange-correlation functions

- Adiabatic approximation
- Exchange-correlation potential

$$V_{xc}(\mathbf{r}) = \epsilon_{xc}([n], \mathbf{r}) + n(\mathbf{r}) \frac{\delta \epsilon_{xc}([n], \mathbf{r})}{\delta n(\mathbf{r})}$$

 ϵ_{xc} : energy per electron n: electron density

• Exchange-Correlation functions

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| | Isolated systems | Periodic systems |
|--|---------------------|---------------------|
| LDA-PZ (Perdew-Zunger LDA) | \checkmark | \checkmark |
| LSDA-PZ (Perdew-Zunger LSDA) | \checkmark | |
| PAM (Perdew-Zunger LDA with modification) | | \checkmark |
| TBmBJ (Tran-Blaha meta-GGA exchange with Perdew-Wang correlation) | | \checkmark |

Parallelization (1)

- isolated systems
 Kohn-Sham orbital: $\psi_n(r)$
- ➢ MPI: orbital and domain



➢ OpenMP: domain

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- periodic systems Bloch orbital: $u_{nk}(r)$
 - ➤ MPI: orbital and k points



OpenMP: orbital and k points

This parallelization is done automatically.

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Parallelization (2)

multiscale calculation

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➤ MPI: macroscopic grids orbital and k points (u_{nk}(r)) in microscopic cell

OpenMP: orbital and k points (u_{nk}(r)) in microscopic cell

This parallelization is done automatically.

Performance (1)

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| System | CPU performance |
|--------------------------------------|-------------------------|
| Ag ₅₄ @Si ₄₅₄ | 12.1% (1,944 processes) |
| Ag ₁₄₆ @Si ₃₄₅ | 9.2% (4,000 processes) |

Calculations for product runs end in 1.4 hours.

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Performance (2)

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Used computer: K computer (RIKEN)

| Number of processes | CPU performance |
|---------------------|--------------------|
| 7,800 | 11.0% |
| 15,600 | 9.3% |

Calculations for product runs end in 7 hours with 15,600 processes.

Performance (3)

Laser Excitation Silicon Nanosphere



~ 24,000 [Node Hours] for Computation

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Computation



- World-class many-core supercomputer "Oakforest-PACS" (OFP)
 - Processer:
 - Intel Xeon Phi 7250
 (68 cores 1.4GHz base clock)
 - Number of Nodes:
 - 8208 nodes (use up to 8192)
 - Theoretical Peak Performance
 - 25 PFLOPS